

## d-partial-world<sup>11,40</sup>

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d-partial-world( $D; f; t'; s; d$ )
 $\equiv_{\text{def}} <\lambda i, x. \text{M}(i).\text{ds}(x)$ 
 $, \lambda i, a. \text{M}(i).\text{da}(\text{loc}(a))$ 
 $, \lambda l, tg. \text{M}(\text{source}(l)).\text{dout}(l, tg)$ 
 $, \lambda i, t. \text{if } t <_z t' \text{ then } (f(t, i)).1 \text{ else } s(i) \text{ fi}$ 
 $, \lambda i, t. \text{if } t <_z t' \text{ then } ((f(t, i)).2).1 \text{ else null fi}$ 
 $, \lambda i, t. \text{if } t <_z t' \text{ then } (f(t, i)).2.2 \text{ else } [] \text{ fi}$ 
 $, \lambda i. \text{NullMachine}$ 
 $, d$ 
 $, \cdot >$ 

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*clarification:*

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d-partial-world( $D; f; t'; s; d$ )
 $\equiv_{\text{def}} <\lambda i, x. \text{d-m}(D; i).\text{ds}(x)$ 
 $, \lambda i, a. \text{d-m}(D; i).\text{da}(\text{loc}(a))$ 
 $, \lambda l, tg. \text{d-m}(D; \text{source}(l)).\text{dout}(l, tg)$ 
 $, \lambda i, t. \text{if } t <_z t' \text{ then } (f(t, i)).1 \text{ else } s(i) \text{ fi}$ 
 $, \lambda i, t. \text{if } t <_z t' \text{ then } ((f(t, i)).2).1 \text{ else null fi}$ 
 $, \lambda i, t. \text{if } t <_z t' \text{ then } (f(t, i)).2.2 \text{ else } [] \text{ fi}$ 
 $, \lambda i. \text{NullMachine}$ 
 $, d$ 
 $, \cdot >$ 

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